Amendments to the Claims:

This listing of claims will replace all prior versions, and listings, of claims in the application:

Listing of Claims:

1. (Currently Amended) A space-time encoding and decoding method for a frequency selective fading channel, comprising:

A. taking, by an encoder, two independent data fields of a time slot in input data as a processing unit with space-time orthogonal encoding method, encoding them and generating two data vectors, thereby forming two diversity signals, and transmitting said two diversity signals simultaneously with each through a corresponding diversity antenna:

B. receiving, by a terminal, said two diversity signals, and neglecting mutual interference between said two diversity signals caused by non-orthogonality;

C. performing, by said terminal, joint detection that only [[taking]]takes into account affect to said two diversity signals from multipath interference and multi-user interference, thereby obtaining a decoding result; and

D. implementing interference cancellation based on a result of said joint detection to remove interference between said two diversity signals, and then returning to step C to implement iteration for decoding processing.

- (Previously Presented) The method of claim 1, wherein said two diversity signals in step A are transmitted through two diversity beams of one smart antenna respectively and simultaneously.
- 3. (Original) The method of claim 1, further comprising the step of predefining number of iteration times to determine execution times from step C to step D and from step D to step C again.

4. (Previously Presented) The method of claim 1, wherein step B comprises: setting the upper right block and the lower left block of a matrix

$$\mathbf{A}^{\mathsf{+T}}\mathbf{A} = \begin{bmatrix} \mathbf{A}_1^{\mathsf{+T}}\mathbf{A}_1 + (\mathbf{A}_2^{\mathsf{+T}}\mathbf{A}_2)^T & (\mathbf{A}_1^{\mathsf{+T}}\mathbf{A}_2)^T - \mathbf{A}_1^{\mathsf{+T}}\mathbf{A}_2 \\ ((\mathbf{A}_1^{\mathsf{+T}}\mathbf{A}_2)^T - \mathbf{A}_1^{\mathsf{+T}}\mathbf{A}_2)^T & (\mathbf{A}_1^{\mathsf{+T}}\mathbf{A}_1 + (\mathbf{A}_2^{\mathsf{+T}}\mathbf{A}_2)^T) \end{bmatrix} \text{ to be null matrixes, and then calculating}$$

equation $\hat{\mathbf{d}}_t = (\mathbf{B})^{-1} \mathbf{A}^{\mathsf{T}} \mathbf{r}$ to obtain a simplified equation for joint detection; wherein \mathbf{A}_1 and \mathbf{A}_2 are system matrixes of signal transmission between first and second transmitting antennas and receiving antennas; \mathbf{A} and \mathbf{B} are matrixes; $\hat{\mathbf{d}}_t$ is a value of continuous estimation of a receiving data field; \mathbf{r} is a sample value of said receiving data field; \mathbf{T} denotes a transpose operation; * denotes conjugate;

said joint detection in step C is calculated based on a simplified joint detection equation:

$$\begin{cases} \hat{\mathbf{d}}(\mathbf{1}) &= \mathbf{B}_{S}^{-1} \left(\mathbf{A}_{1}^{*\mathsf{T}} \mathbf{r}_{1} + \left(\mathbf{A}_{2}^{*\mathsf{T}} \mathbf{r}_{2} \right)^{\mathsf{T}} \right) \\ \hat{\mathbf{d}}(\mathbf{2}) &= \mathbf{B}_{S}^{-1} \left(\mathbf{A}_{1}^{*\mathsf{T}} \mathbf{r}_{2} - \left(\mathbf{A}_{2}^{*\mathsf{T}} \mathbf{r}_{1} \right)^{\mathsf{T}} \right), \text{ wherein } \hat{\mathbf{d}}(\mathbf{1}) \text{ and } \hat{\mathbf{d}}(\mathbf{2}) \text{ are values of continuous} \end{cases}$$

estimation of two receiving data fields, \mathbf{B}_s is a matrix; \mathbf{r}_i and \mathbf{r}_2 are sample values of two receiving data fields;

the step of implementing interference counteraction based on the result of said joint detection in step D further comprising:

D1. subtracting affect of a data field d(1) from received data signal based on the following formula.

$$\begin{cases} \mathbf{r}_1' &= \mathbf{r}_1 - \mathbf{A}_1 \hat{\mathbf{d}}(1) \\ \mathbf{r}_2' &= \mathbf{r}_2 - \mathbf{A}_2 \hat{\mathbf{d}}^{\star}(1) \end{cases}$$

thereby obtaining r' and r';

subtracting affect of another data field d(2) from received data signal based on the following formula:

$$\begin{cases} \mathbf{r}_{1}'' &= \mathbf{r}_{1} + \mathbf{A}_{2} \hat{\mathbf{d}}^{*}(2) \\ \mathbf{r}_{2}'' &= \mathbf{r}_{2} - \mathbf{A}_{1} \hat{\mathbf{d}}(2) \end{cases}$$

thereby obtaining r₁" and r₂";

D2. substituting \mathbf{r}_1' and \mathbf{r}_2' for \mathbf{r}_1 and \mathbf{r}_2 in the second equation of said simplified joint detection formula used in step C, and substituting \mathbf{r}_1'' and \mathbf{r}_2'' for \mathbf{r}_1 and \mathbf{r}_2 in the first equation of said simplified joint detection formula used in step C, calculating said simplified joint detection formula, thereby obtaining iteration results of $\hat{\mathbf{d}}(1)$ and $\hat{\mathbf{d}}(2)$.

5. (Original) The method of claim 4, wherein said matrix **B** is calculated by one of the following formulas:

$$\mathbf{B} = \begin{cases} \mathbf{I} \\ \mathbf{A}^{*T} \mathbf{A} \\ \mathbf{A}^{*T} \mathbf{A} + \sigma^2 \mathbf{I} \end{cases}$$

these formulas including match filter scheme, zero-forcing block equalization scheme and minimum mean-square-error block equalization scheme; wherein σ^2 is noise power, and I is an identity matrix;

said matrix B_s is calculated by one of the following formulas:

$$\mathbf{B_{S}} = \begin{cases} \mathbf{I} \\ \mathbf{A_{1}^{*T}} \mathbf{A_{1}} + \left(\mathbf{A_{2}^{*T}} \mathbf{A_{2}}\right)^{*} \\ \mathbf{A_{1}^{*T}} \mathbf{A_{1}} + \left(\mathbf{A_{2}^{*T}} \mathbf{A_{2}}\right)^{*} + \sigma^{2} \mathbf{I} \end{cases}$$

these formulas including match filter scheme, zero-forcing block equalization scheme and minimum mean-square-error block equalization scheme; wherein σ^2 is noise power, and I is an identity matrix.

- 6. (Original) The method of claim 4, wherein said system matrixes A_1 and A_2 are determined by channel pulse response and user transmission waveform.
- (Previously Presented) The method of claim 1, wherein said neglecting mutual interference between said two diversity signals caused by non-orthogonality comprises:

setting, in a matrix
$$\mathbf{A}^{\mathsf{TT}}\mathbf{A}$$
 which equals
$$\begin{bmatrix} \mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_1 + \left(\mathbf{A}_2^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{T}} & \left(\mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{T}} - \mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2 \\ \left(\left(\mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{T}} - \mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{TT}} & \left(\mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_1 + \left(\mathbf{A}_2^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{TT}}\right) \end{bmatrix}, \text{ the } \\ \text{upper right block } \left(\mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{T}} - \mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2 \text{ and the lower left block } \left(\left(\mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{TT}} - \mathbf{A}_1^{\mathsf{TT}}\mathbf{A}_2\right)^{\mathsf{TT}} \text{ to null,} \\ \text{wherein } \mathbf{A} = \begin{bmatrix} \mathbf{A}_1 & -\mathbf{A}_2 \\ \mathbf{A}_2^{\mathsf{TT}} & \mathbf{A}_1^{\mathsf{TT}} \end{bmatrix}, \text{ and } \mathbf{A}_i \text{ is the system matrix of the signal transmission between the ith transmitting antenna and receiving antenna.}$$

8. (Previously Presented) A space-time encoding method for a frequency selective fading channel, comprising:

taking, by an encoder, two independent data fields of a time slot in input data as a processing unit with space-time orthogonal encoding method, encoding the two independent data fields and generating two data vectors, thereby forming two diversity signals, and transmitting said two diversity signals simultaneously with each through a corresponding diversity antenna.

- 9. (Previously Presented) The method of claim 8, wherein said two diversity signals are transmitted through two diversity beams of one smart antenna respectively and simultaneously.
- 10. (Previously Presented) A space-time decoding method for a frequency selective fading channel, comprising:

A. receiving, by a terminal, two diversity signals, and neglecting mutual interference between said two diversity signals caused by non-orthogonality, wherein said two diversity signals are obtained by encoding two independent data fields of a time slot with space-time orthogonal encoding method and are transmitted simultaneously with each through a corresponding diversity antenna;

B. performing joint detection, by said terminal, neglecting mutual interference between said two diversity signals caused by non-orthogonality, thereby obtaining a decoding result; and

C. implementing interference counteraction based on a result of said joint detection to remove interference between said two diversity signals, and then returning to step B to implement iteration for decoding processing.

- 11. (Previously Presented) The method of claim 10, further comprising: predefining the number of iteration times for determining execution times from step B to step C and from step C to step B again.
- 12. (Previously Presented) The method of claim 10, wherein step A comprises: setting the upper right block and the lower left block of a matrix

$$\mathbf{A^{\mathsf{T}}A} = \begin{bmatrix} \mathbf{A_1^{\mathsf{T}}A_1} + (\mathbf{A_2^{\mathsf{T}}A_2})^T & (\mathbf{A_1^{\mathsf{T}}A_2})^T - \mathbf{A_1^{\mathsf{T}}A_2} \\ (\mathbf{A_1^{\mathsf{T}}A_2})^T - \mathbf{A_1^{\mathsf{T}}A_2} \end{pmatrix}^T & (\mathbf{A_1^{\mathsf{T}}A_1} + (\mathbf{A_2^{\mathsf{T}}A_2})^T) \end{bmatrix} \text{ to be null matrixes, and then calculating}$$

equation $\hat{\mathbf{d}}_t = (\mathbf{B})^{-1} \mathbf{A}^{\mathsf{TT}} \mathbf{r}$ to obtain a simplified equation for joint detection; wherein \mathbf{A}_1 and \mathbf{A}_2 are system matrixes of signal transmission between first and second transmitting antennas and receiving antennas; \mathbf{A} and \mathbf{B} are matrixes; $\hat{\mathbf{d}}_t$ is a value of continuous estimation of a receiving data field; \mathbf{r} is a sample value of said receiving data field; \mathbf{T} denotes a transpose operation; * denotes conjugate;

said joint detection in step F is calculated based on a simplified joint detection equation:

$$\begin{cases} \hat{\mathbf{d}}(1) &= \mathbf{B}_{S}^{-1} \left(\mathbf{A}_{1}^{*T} \mathbf{r}_{1} + \left(\mathbf{A}_{2}^{*T} \mathbf{r}_{2} \right)^{*} \right) \\ \hat{\mathbf{d}}(2) &= \mathbf{B}_{S}^{-1} \left(\mathbf{A}_{1}^{*T} \mathbf{r}_{2} - \left(\mathbf{A}_{2}^{*T} \mathbf{r}_{1} \right)^{*} \right), \text{ wherein } \hat{\mathbf{d}}(1) \text{ and } \hat{\mathbf{d}}(2) \text{ are values of continuous} \end{cases}$$

estimation of two receiving data fields, B_s is a matrix; r_i and r_2 are sample values of two receiving data fields;

the step of implementing interference counteraction based on the result of said joint detection in step C further comprising:

C1. subtracting affect of a data field d(1) from received data signal based on the following formula.

$$\begin{cases} \mathbf{r}_1' &= \mathbf{r}_1 - \mathbf{A}_1 \widehat{\mathbf{d}}(1) \\ \mathbf{r}_2' &= \mathbf{r}_2 - \mathbf{A}_2 \widehat{\mathbf{d}}^*(1) \end{cases}$$

thereby obtaining \mathbf{r}_i' and \mathbf{r}_2' ; subtracting affect of another data field $\mathbf{d}(2)$ from received data signal based on the following formula:

$$\begin{cases} \mathbf{r}_{1}'' = \mathbf{r}_{1} + \mathbf{A}_{2} \hat{\mathbf{d}}^{*}(2) \\ \mathbf{r}_{2}'' = \mathbf{r}_{2} - \mathbf{A}_{1} \hat{\mathbf{d}}(2) \end{cases}$$

thereby obtaining r," and r,";

C2. substituting \mathbf{r}_1' and \mathbf{r}_2' for \mathbf{r}_1 and \mathbf{r}_2 in the second equation of said simplified joint detection formula used in step B, and substituting \mathbf{r}_1'' and \mathbf{r}_2'' for \mathbf{r}_1 and \mathbf{r}_2 in the first equation of said simplified joint detection formula used in step B, calculating said simplified joint detection formula, thereby obtaining iteration results of $\hat{\mathbf{d}}(1)$ and $\hat{\mathbf{d}}(2)$.

13. (Previously Presented) The method of claim 12, wherein said matrix B is calculated by one of the following formulas:

$$\mathbf{B} = \begin{cases} \mathbf{I} \\ \mathbf{A}^{*T} \mathbf{A} \\ \mathbf{A}^{*T} \mathbf{A} + \sigma^2 \mathbf{I} \end{cases}$$

these formulas including match filter scheme, zero-forcing block equalization scheme and minimum mean-square-error block equalization scheme; wherein σ^2 is noise power, and I is an identity matrix;

said matrix B_s is calculated by one of the following formulas:

$$\mathbf{B}_{S} = \begin{cases} \mathbf{I} \\ \mathbf{A}_{1}^{*T} \mathbf{A}_{1} + \left(\mathbf{A}_{2}^{*T} \mathbf{A}_{2}\right)^{*} \\ \mathbf{A}_{1}^{*T} \mathbf{A}_{1} + \left(\mathbf{A}_{2}^{*T} \mathbf{A}_{2}\right)^{*} + \sigma^{2} \mathbf{I} \end{cases}$$

these formulas including match filter scheme, zero-forcing block equalization scheme and minimum mean-square-error block equalization scheme; wherein σ^2 is noise power, and I is an identity matrix.

14. (Previously Presented) The method of claim 12, wherein said system matrixes ${\bf A}_1$ and ${\bf A}_2$ are determined by channel pulse response and user transmission waveform.